

by an argument similar to that used in (18). Relations (16) - (20) show that the symmetric Fibonacci search is the only way to achieve the maximum value  $\overline{D}_N = \overline{D}_N^F$ .

## ACKNOWLEDGEMENT

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## REFERENCES

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ALGEBRA THROUGH PROBLEM SOLVING, Book Review, Cont'd from p. 264.

From the standpoint of the Fibonacci association, this text is a landmark in its recognition of the pedagogical value of the Fibonacci series. Let us hope that other authors will see the wisdom of incorporating such interesting and pregnant material into their textbooks.

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