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*Divisibility of the Middle Lucasnomial Coefficient,*  
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**Abstract**

Pomerance established several theorems about the number of integers  $n$  for which  $n + k$  divides the binomial coefficient  $\binom{2n}{n}$ ,  $k$  a given integer. We conduct a similar inquiry about the number of integers  $n$  for which  $U_{n+k}$  divides  $\binom{2n}{n}_U$ , where  $U$  is a fundamental Lucas sequence and  $\binom{2n}{n}_U$  the corresponding middle Lucasnomial coefficient. In a final digression, we argue that central Fibonomials prime to 105 should be about as rare as middle binomial coefficients prime to 105, and we compute the first few examples.