

Since $AD = CD = BC$ and $AB = AC$, it follows immediately that

$$2 \cos \angle A = AC/CD = AB/BC.$$

The second result comes from the fact that

$$\angle B = \angle BDC = \angle A + \angle DCA = 2 \angle A$$

and hence

$$\angle A = 36^\circ \text{ and } 2 \cos A = (1 + \sqrt{5})/2.$$

(See N. N. Vorobyov: The Fibonacci Numbers (New York, (1961) p. 56.)

Also solved by Herta Taussig Freitag, Cheryl Hendrix, Kathleen Marafino, and Carol Barrington (jointly), J. A. H. Hunter, Douglas Lind, James Leissner, C. B. A. Peck, Kathleen M. Wickett, and the proposer.

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Continued from page 234.

5. H. Winthrop, "The Mathematics Of The Round Robin," Mathematics Magazine (In Press).
6. H. Winthrop, "A Mathematical Model For The Study Of The Propagation Of Novel Social Behavior," Indian Sociological Bulletin, July 1965, Vol. II. (In Press)
7. H. Winthrop, "Some Generalizations Of The Dying Rabbit Problem," (In Preparation).
8. N. N. Vorob'ev, Fibonacci Numbers, Blaisdell Publishing Company, New York, 1961.

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