d is continuous at x=a iff of $f(a) = \lim_{x \to a} f(x)$

 $\phi' = \begin{cases} -2^{\times}, & \times < 1 \\ 1, & \times > 1 \end{cases}$

$$|c| \quad d(1^{-}) = 4 - 1^{2} = 3 \quad ; \quad |(1^{+}) = 1 + \alpha = 3 \\ \Rightarrow \alpha = 2$$

 $(26) \frac{1}{8} (2c) \frac{2}{3} (2d) (0) (2e) \frac{2}{5}$

36) Let $f(x) = 2^{x} - x^{3}$; f(1) = 1; f(2) = -4 $\Rightarrow f \text{ has a root between 1 and 2.}$

$$f(x) = \frac{5}{x} - 1$$
; $f(x+h) - f(x) = \frac{5}{x} - \frac{5}{x}$

$$= \frac{-5}{(x+h) \times} \rightarrow \left(\frac{5}{x^2}\right)$$

f is cont. everywhere.

f' is not defined at
$$x=2$$
 => not cont. the at $x=2$

6)
$$y \rightarrow \infty$$
 at $x \rightarrow 1$ and $y \rightarrow 0 \approx x \rightarrow \pm \infty$
7) $-\frac{9}{2}$ -2 3

7) a)
$$y = x^{-\frac{3}{2}} - 3x^{-2} + e^{3}$$

=) $y' = -\frac{3}{2}x^{-\frac{7}{2}} + 6x^{-3}$

$$76) \frac{5}{2} \frac{1}{\sqrt{5\times-3}} + 6\times \frac{5}{4\left(\frac{2\times-1}{3\times+1}\right)^{3} \cdot \left(\frac{5}{(3\times+1)^{2}}\right)}{(3\times+1)^{2}}$$

7d)
$$2 \sin x \cos x$$
 7e) $2 \times \cos(x^2)$

$$7f)$$
 $2 sin(x^2) cos(x^2) 2x$

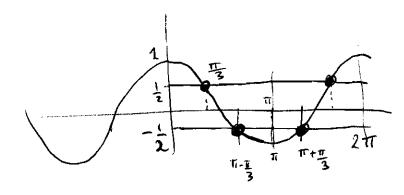
8)
$$y-3 = (-13)(x-(-1)) \Leftrightarrow y=-13x-10$$

9)
$$y' = \frac{(e^{2x} + 2xe^{2x})(3x-1) - 3 \times e^{2x}}{(3x-1)^2}$$

$$= 0 = 2 \times ((1+2\times)(3\times-1)-3\times)=0$$

$$= \times = 2 \pm \sqrt{28}$$

11)
$$1 + 2 con x = 0 \Rightarrow (cos x = \frac{1}{2})$$



Note that
$$\cos \frac{\pi}{3} = \frac{1}{2}$$

Then from the graph of $\cos x$

$$=) X = T \pm \frac{\pi}{3}$$

we get that
$$\cos(T \pm \frac{\pi}{3}) = \beta - \frac{1}{2}$$